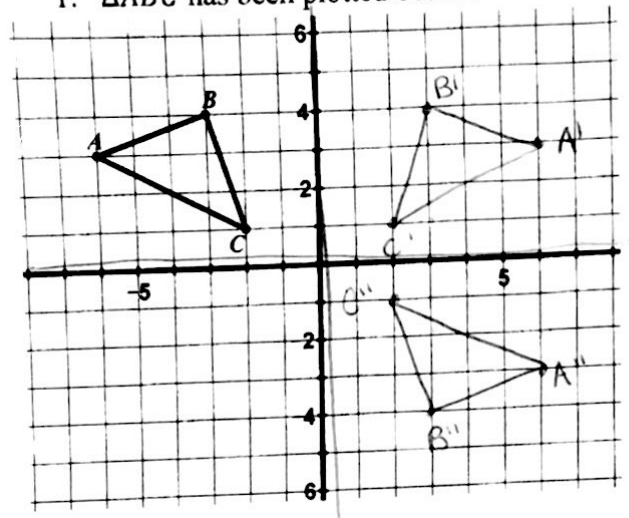


CWK # 4

Series of Transformations

The examples we have studied so far in this unit and the last we have only performed one transformation on a figure. We can also perform more than one transformation on a figure. In the following problems, you will perform a **sequence of transformations** on a figure.

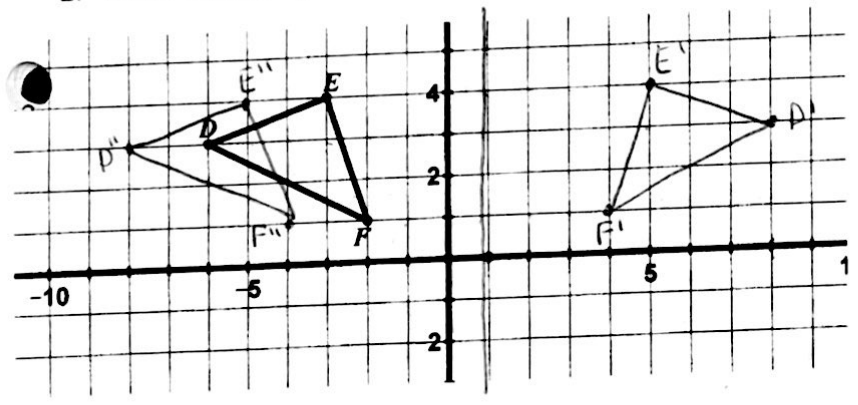
1.  $\triangle ABC$  has been plotted below.



- Reflect  $\triangle ABC$  over the  $y$ -axis and label the image  $\triangle A'B'C'$ .
- Reflect  $\triangle A'B'C'$  over the  $x$ -axis and label the image  $\triangle A''B''C''$ .
- What **one** transformation is the same as this double reflection?

rotation  $180^\circ$  around origin

2.  $\triangle DEF$  has been plotted below.



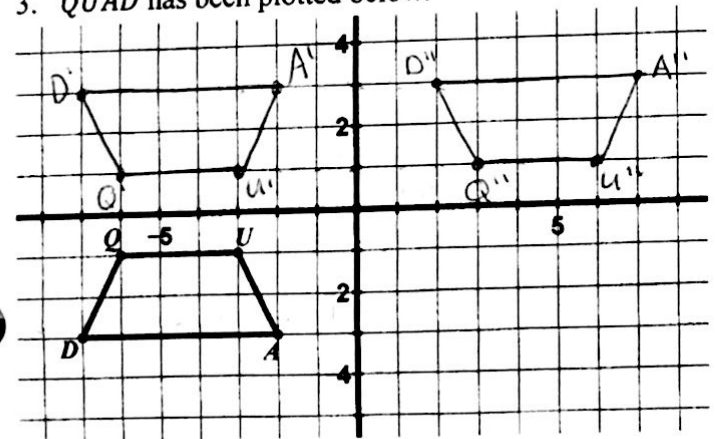
- Reflect  $\triangle DEF$  over the line  $x = 1$  and label the image  $\triangle D'E'F'$ .
- Reflect  $\triangle D'E'F'$  over the  $y$ -axis and label the image  $\triangle D''E''F''$ .
- What **one** transformation is the same as this double reflection?

translation 2 left

- Write a coordinate rule for the transformation of  $\triangle DEF$  to  $\triangle D''E''F''$ .

$$(x, y) \rightarrow (x - 2, y)$$

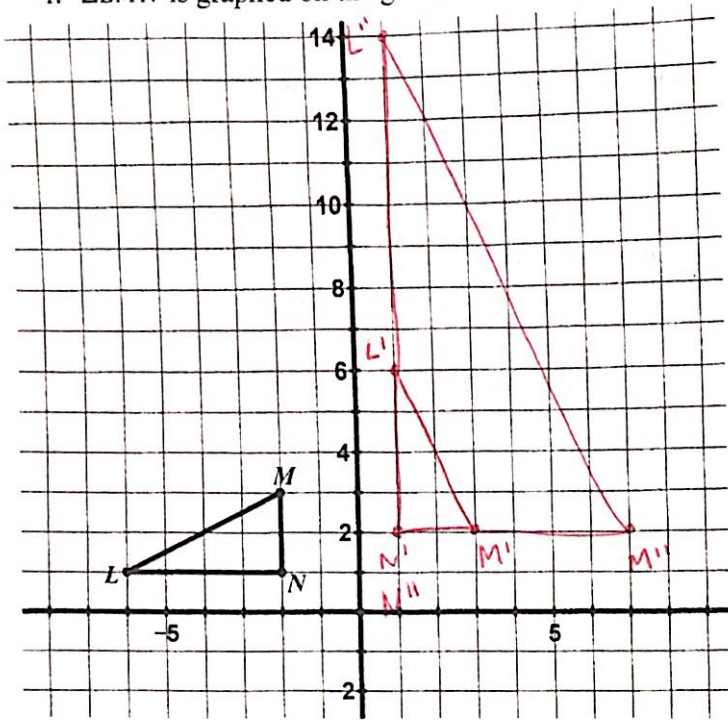
3.  $QUAD$  has been plotted below.



- Reflect  $QUAD$  over the  $x$ -axis and label the image  $Q'U'A'D'$ .
- Translate  $Q'U'A'D'$  according to the rule  $(x, y) \rightarrow (x + 9, y)$  label the image  $Q''U''A''D''$ .

In the picture below.

4.  $\triangle LMN$  is graphed on the grid below.



- Rotate  $\triangle LMN$   $90^\circ$  clockwise about the origin. Label the new triangle  $\triangle L'M'N'$ .
- Dilate  $\triangle L'M'N'$  by a scale factor of 3 with the center of dilation at  $(1, 2)$ . Label the new triangle  $\triangle L''M''N''$ .
- Write a statement that shows the relationship between  $\triangle LMN$  and  $\triangle L'M'N'$ .

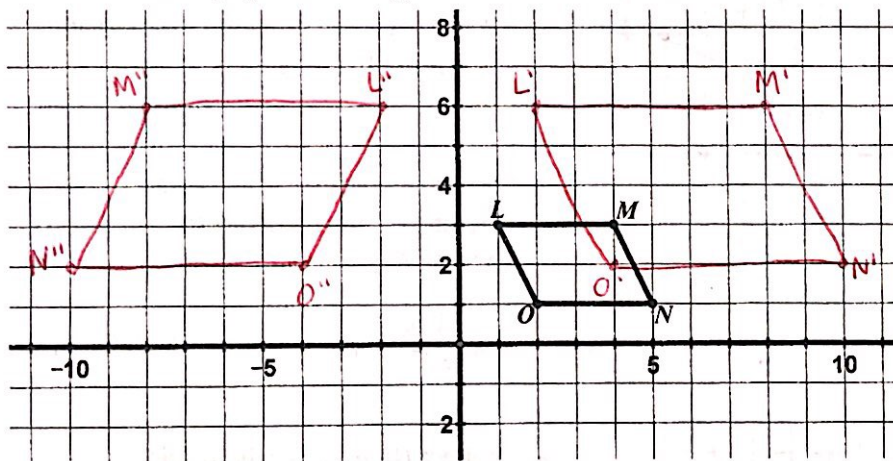
$$\triangle LMN \cong \triangle L'M'N'$$

- Write a statement that shows the relationship between  $\triangle L'M'N'$  and  $\triangle L''M''N''$ .

$$\triangle L'M'N' \sim \triangle L''M''N''$$

- List five other relationships between corresponding angles, sides, etc. that you know to be true based on the relationships in parts c and d.

5.  $LMNO$  is graphed on the grid below.



- Dilate  $LMNO$  by a scale factor of 2 with the center of dilation at the origin. Label the new quadrilateral  $L'M'N'O'$ .

- Reflect  $L'M'N'O'$  across the  $y$ -axis. Label the new quadrilateral  $L''M''N''O''$ .

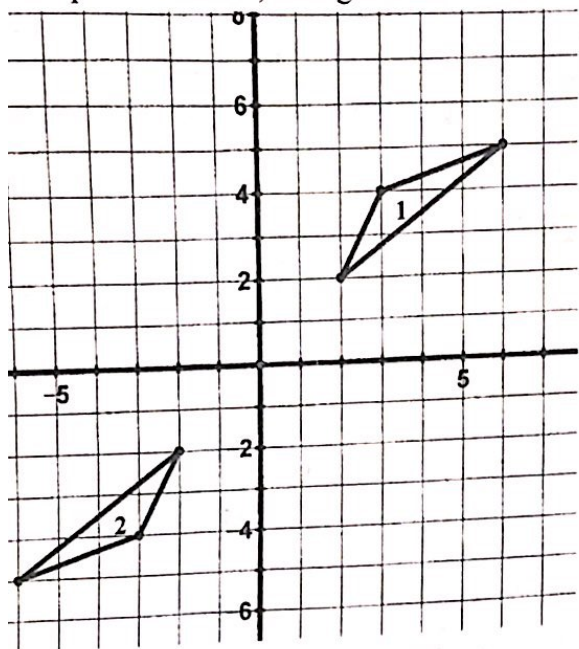
- Write a statement that shows the relationship between  $LMNO$  and  $L'M'N'O'$ .

$$LMNO \sim L'M'N'O'$$

- Write a statement that shows the relationship between  $L'M'N'O'$  and  $L''M''N''O''$ .

$$L'M'N'O' \cong L''M''N''O''$$

In the picture below, triangle 1 has been transformed to obtain triangle 2.



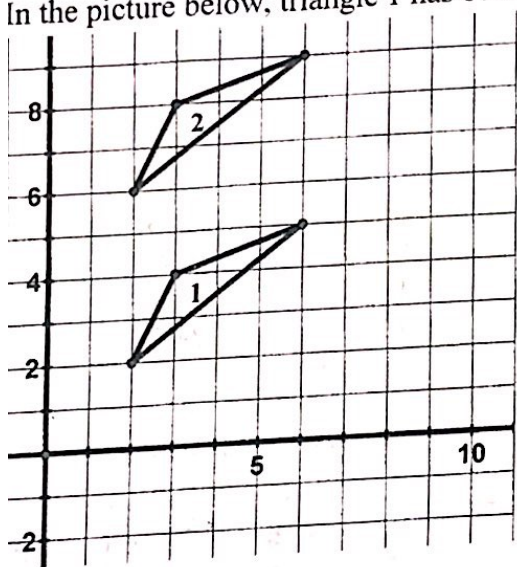
- a. Which **one** transformation would carry triangle 1 onto triangle 2?

rotation  $180^\circ$  around  $(0, 0)$

- b. Which **two** transformations in succession would carry triangle 1 onto triangle 2?

reflection across  $x$  &  $y$  axis

In the picture below, triangle 1 has been transformed to obtain triangle 2.



- a. Which **one** transformation would carry triangle 1 onto triangle 2?

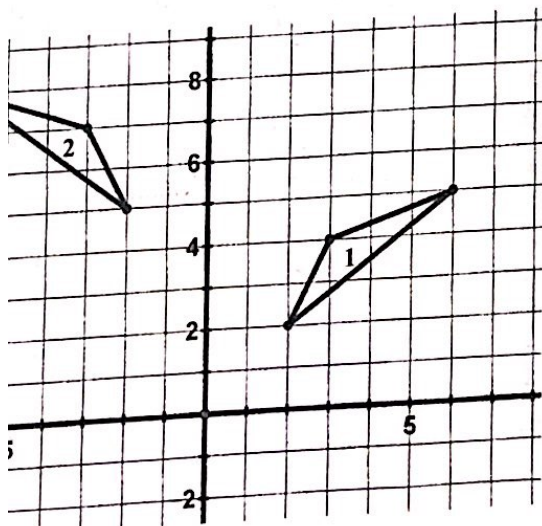
translation down 4

- b. Which **two** transformations in succession would carry triangle 1 onto triangle 2?

reflection across  $x$ -axis and  $x = 2$

reflection across  $x = 2$  &  $x = 4$

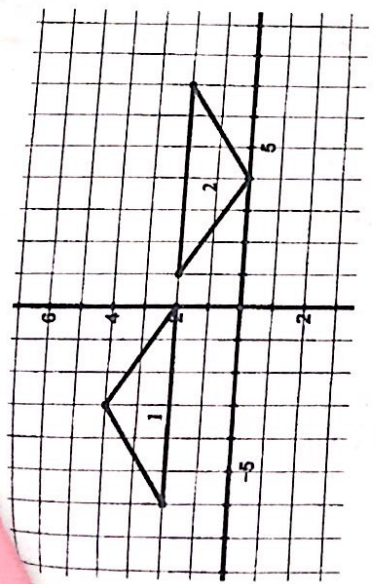
Describe a transformation or sequence of transformations that would carry triangle 1 onto triangle 2.



reflect across  $y$ -axis

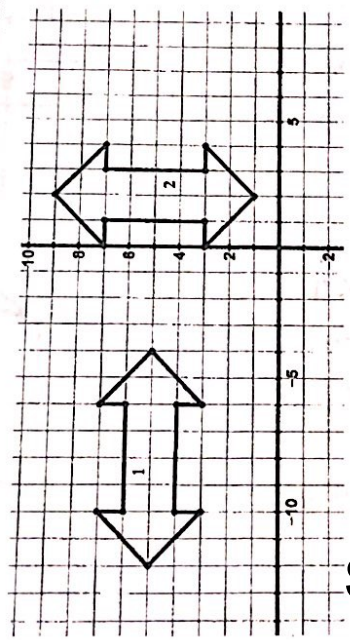
translate up 3

... what would carry triangle 1 onto triangle 2.



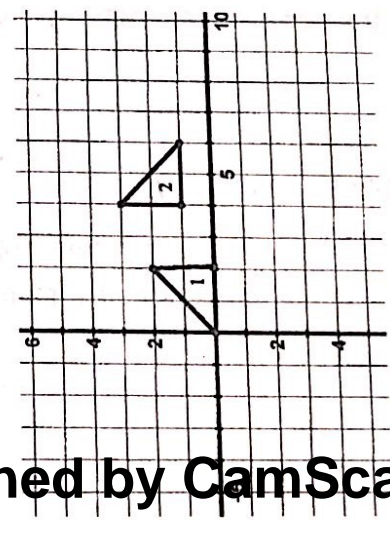
rotation 180°  
OR  
reflection across  
2 lines (horiz & vert)

8. Describe a transformation or sequence of transformations that would carry figure 1 onto figure 2 below.



rotation 90°

9. Describe a transformation or sequence of transformations that would carry triangle 1 onto triangle 2 below.



rotation  
OR  
reflection & translation

4:

1. Determine whether the following transformations or sequence of transformations will result in similar figures, congruent figures, or neither. Provide a justification for your answer.

a.  $(x, y) \rightarrow (x - 6, y + 2)$  translates

Congruent

b.  $(x, y) \rightarrow (-x, y)$  followed by  $(x, y) \rightarrow (2x, 2y)$

Similar

c.  $(x, y) \rightarrow (2x, 3y)$  followed by a reflection across the x-axis

neither

d.  $(x, y) \rightarrow (x + 5, y + 5)$  followed by a 90° rotation counterclockwise about the origin

Congruent

translates } rigid  
rotate } rigid

e.  $(x, y) \rightarrow (\frac{1}{4}x, \frac{1}{4}y)$  followed by  $(x, y) \rightarrow (y, x)$

Similar

f.  $(x, y) \rightarrow (x, y + 4)$  followed by a 180° rotation clockwise about the origin

Congruent

translation } rigid  
rotation } rigid